

Carnegie Mellon University

# Effect of School Policies on COVID Transmission

PHIGHT COVID RESEARCH PROJECT

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*PHIGHT COVID: Seema Lakdawala, Annika Avery, Rebecca Nugent*

*MSP Team: Cheyenne Ehman, Yixuan Luo, Zi Yang, Ziyang Zhu*

*Faculty Advisor: Valerie Ventura*

*04/06/2021*

# Introduction - Questions

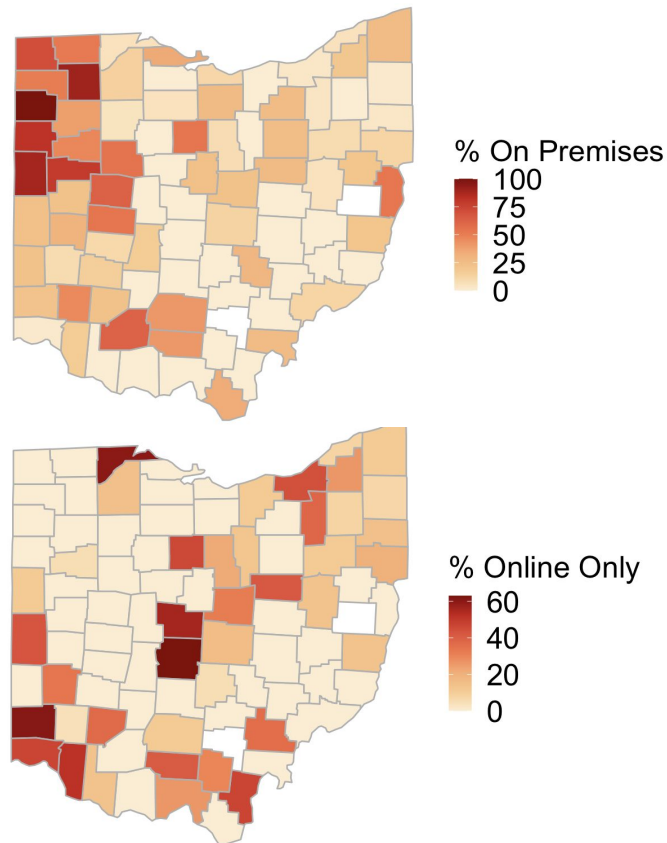
## Main Research Questions:

- Does teaching method have effect on the COVID-19 transmission in Ohio?
  - How can we measure transmissibility with available data?
  - What other factors are affecting the transmission?
  - Is the effect still significant after we adjust for confounders and all possible covariates we can get?

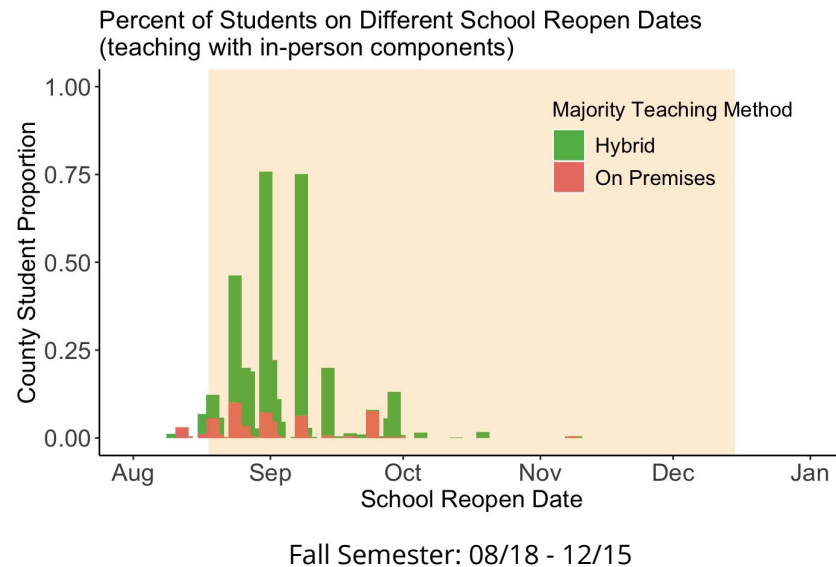
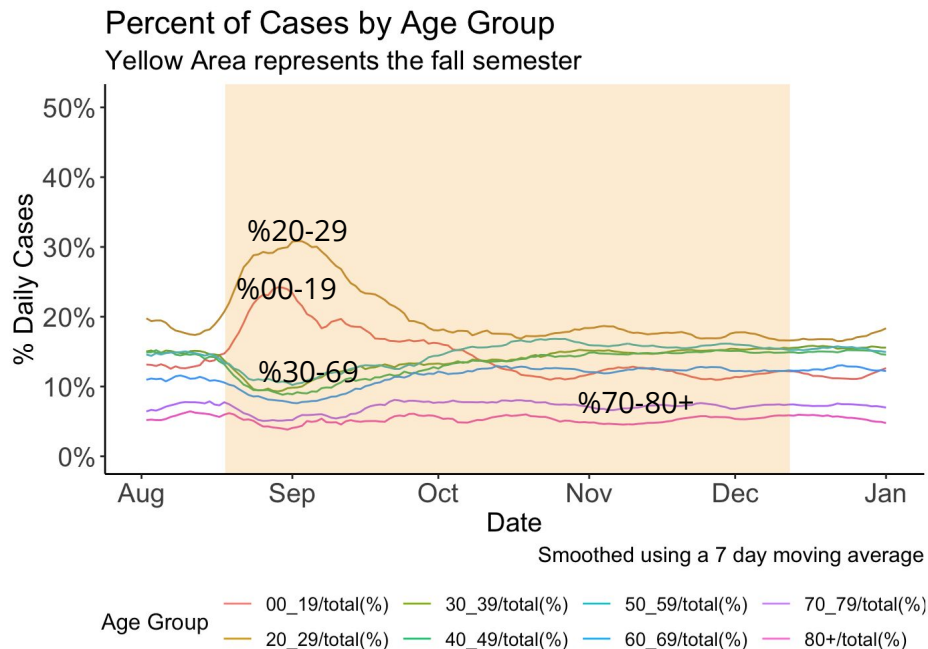
# Introduction - Motivation

## Why Ohio?

- Counties are comparable with respect to public health interventions;
  - Most interventions are statewide,
  - Few are at county-level.
- But there is a wide range of school teaching methods so we can study their effect on covid infections.



# Introduction - Motivation



**% Daily cases under 29 years old peaks in late August, overlapping with school reopening**

# Data

- **Data Sources**

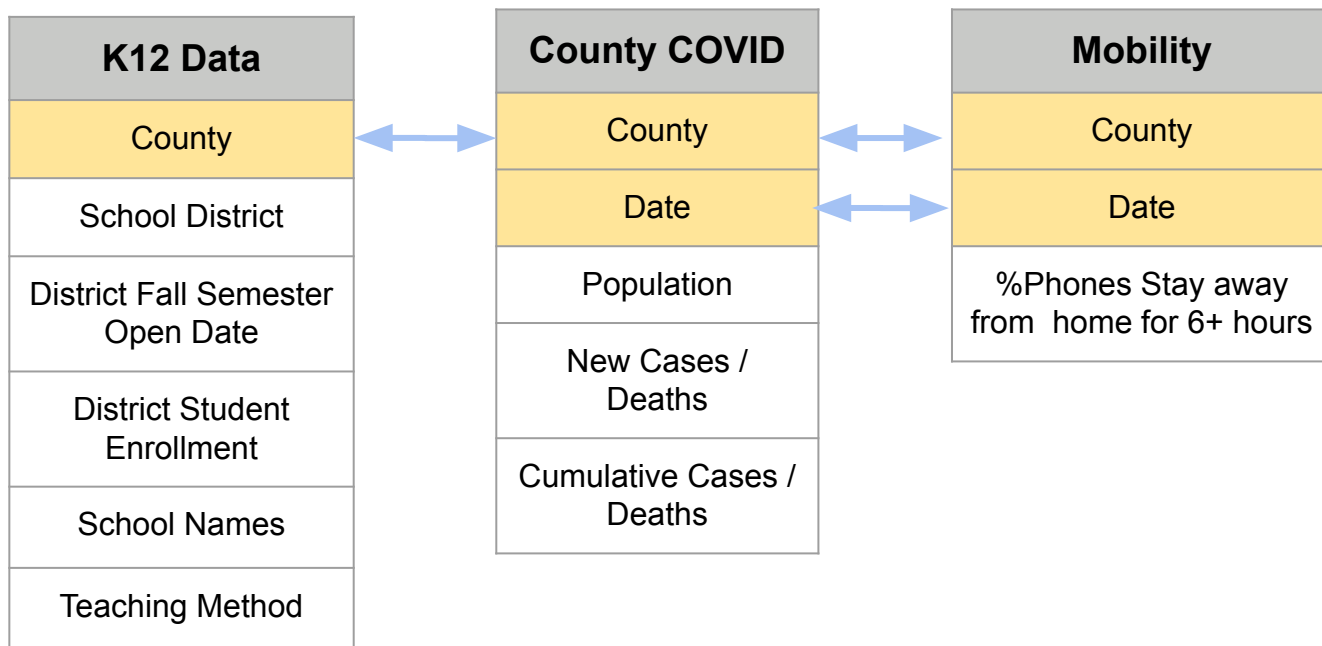
- Cases & Deaths: [John Hopkins Open Source Data API](#)
- K12 school policies: [MCH.com](#)
- Mobile Mobility: [SafeGraph.com](#) via [CMU DELPHI Group](#)

- **Time Range:** 01/22/2020 - 02/22/2021

- **About Ohio State:**

- 86 counties (2 dropped due to missing data)
- 11,755,535 Population
- 1,615,134 student enrolled in K12 schools (13.7% of population)
- 2,871 schools

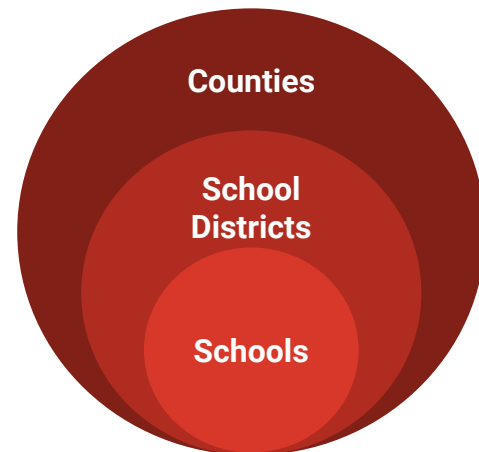
# Data - Relation



# Data - Aggregation

## County-wide variables

|                                                     |                                                              |
|-----------------------------------------------------|--------------------------------------------------------------|
| <b>Death Incidence per 1000</b>                     | Cumulative Deaths * 1000 / population                        |
| <b>Online Only Proportion</b>                       | #Student went <b>Online Only</b> / County Student Enrollment |
| <b>Hybrid Proportion</b>                            | #Student went <b>Hybrid</b> / County Student Enrollment      |
| <b>On Premises Proportion</b>                       | #Student went <b>On Premises</b> / County Student Enrollment |
| <b>Majority Teaching Method</b>                     | Teaching method in county with highest proportion            |
| <b>Percent Mobiles Stay Away Home for 6 hours +</b> | Ought to suggest mobility of full-time workers/students      |



\* We use death counts as the response variable because it is more reliable than case counts.

# Method

- **Is there an effect of school teaching method?**

## **What are the other confounders and covariates?**

- Exploratory Data Analysis
  - Times series plot of cumulative death incidence
  - Boxplot of death incidence during fall semester
- ANOVA and Post-hoc Testing of death incidence
- Identify confounders based on the availability of data
  - Death incidence before the fall semester
- Adjust for confounders but realize a potential problem



# Method

- **How can we measure the transmission better?**

Assume the disease follows an exponential growth and the process is stationary, then

$$E(\log N_t) = N_0 + B \times t$$

$N_t$  = number of new infections on day  $t$

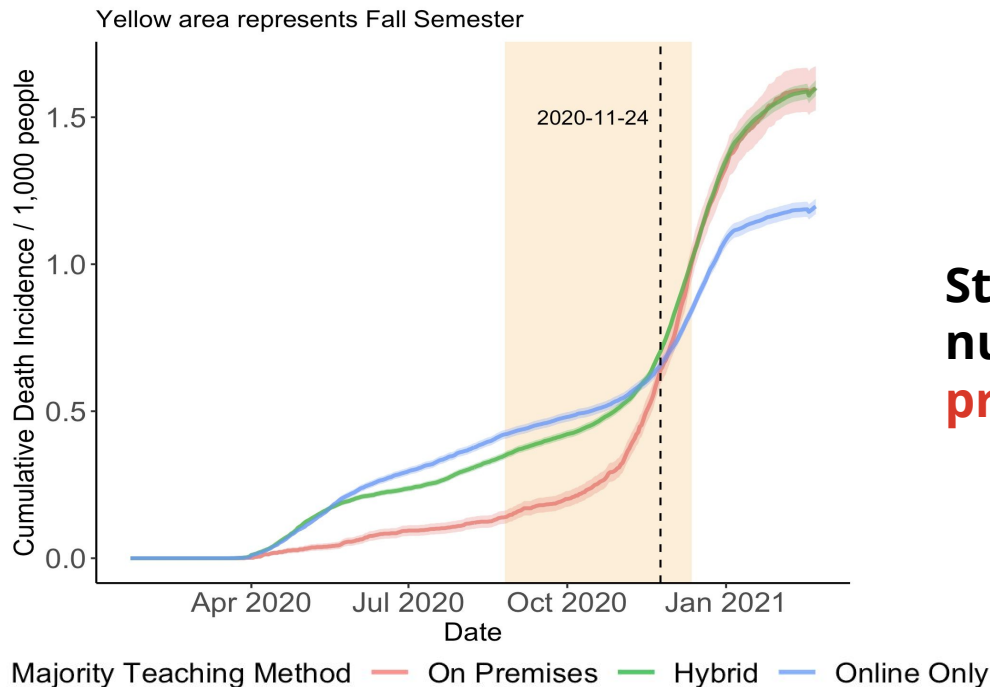
$N_0$  = log number of new infections on day 0

$B$  = exponential growth coefficient.

- Use New deaths + 1 as new infections ( adjust for 0 new deaths)
- Time series plot of Log(New deaths + 1) and  $B$  for different teaching methods

# Results - EDA (Time Series)

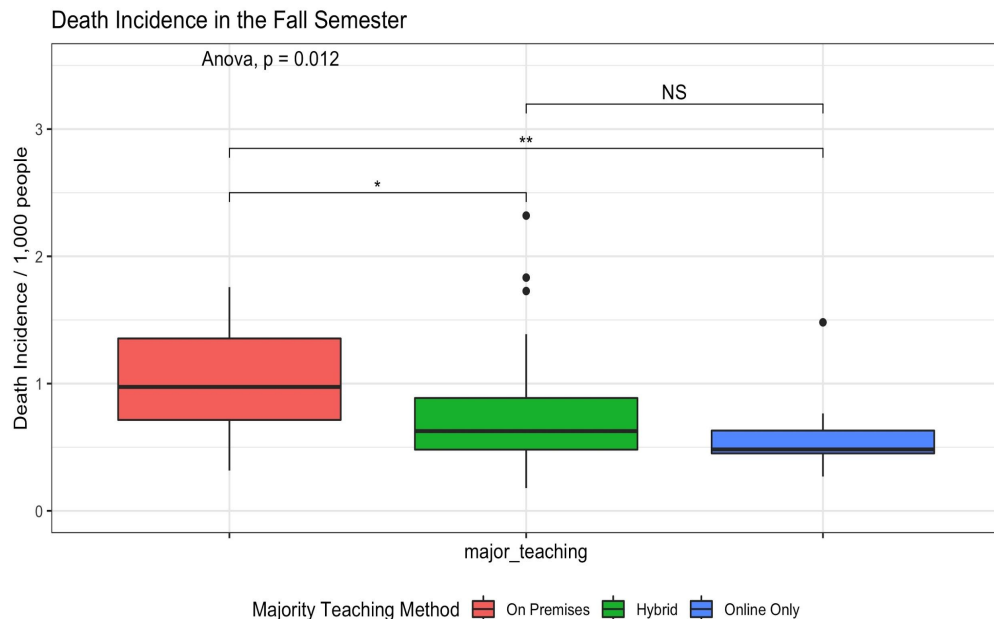
**Are the county death trends significantly different by school teaching methods?**



**Starting mid-semester, death numbers increase faster for **on premises** counties**

# Results - EDA & ANOVA, Post-hoc Testing

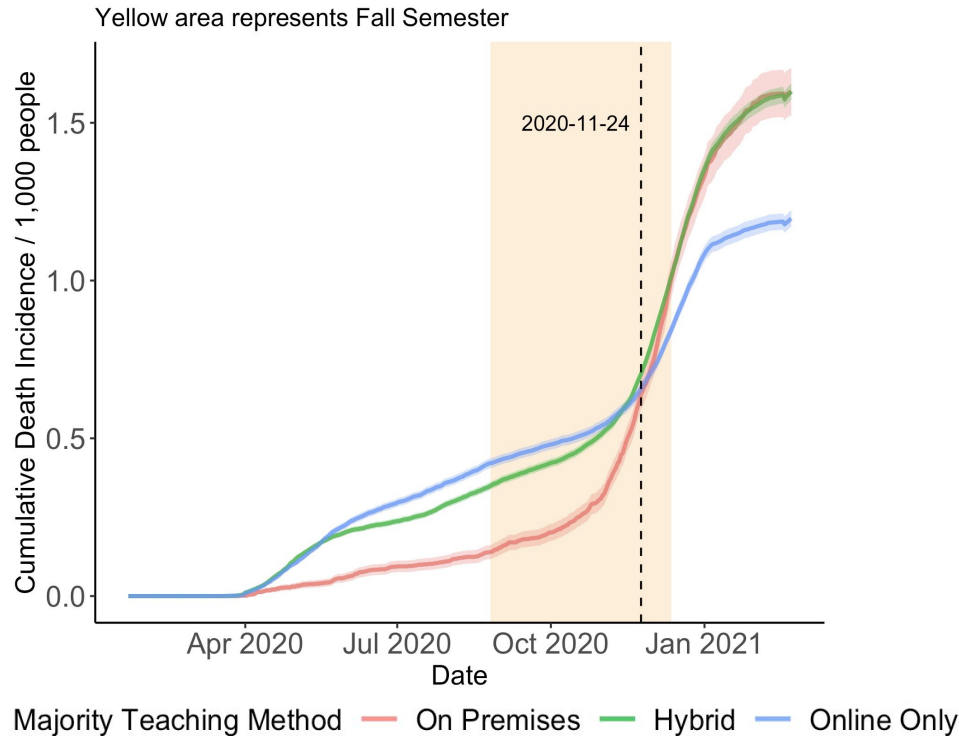
How is teaching method related to death proportions?



Pairwise p-values come from Duncan pairwise comparison test

Death proportions averaged within **red**, **green** and **blue** counties are significantly different ( $p = .012$ )

# Results - Confounding Effect

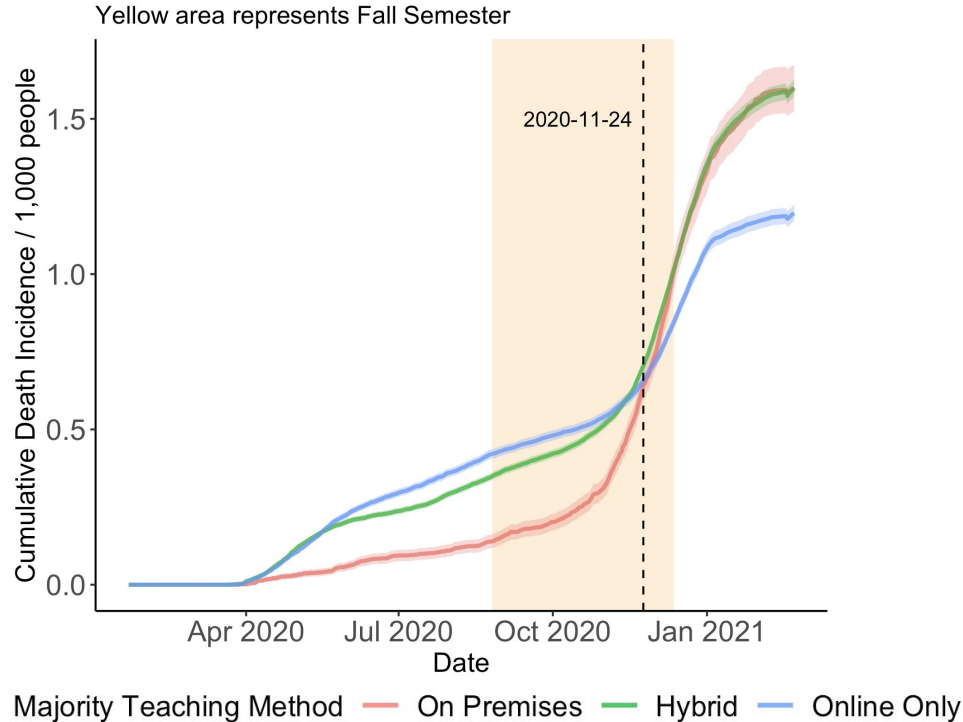


Note:

- Low (high) death rates before the semester implies low (high) death rates during the semester
- Low (high) death rates before the semester implies mostly on premises (online) teaching

➡ Death rates *before the semester* is a **confounder**

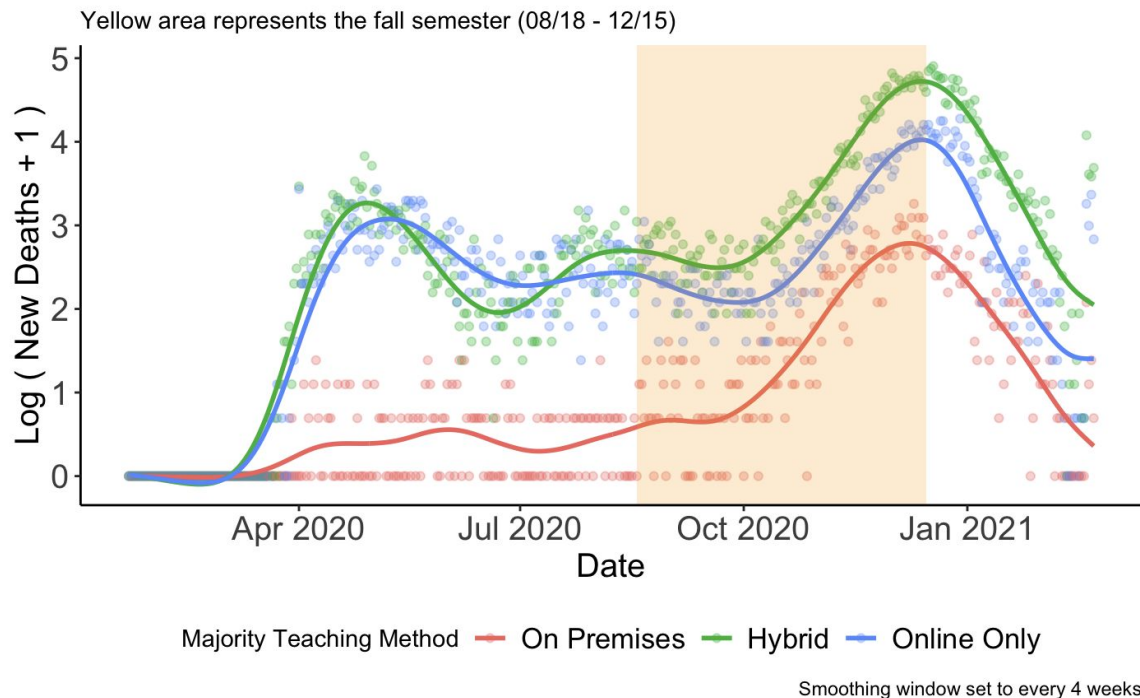
# Results - Adjust for Confounder



Death proportions averaged within **red**, **green** and **blue** counties remain significantly different after adjusting for Y0 ( $p = .011$ )

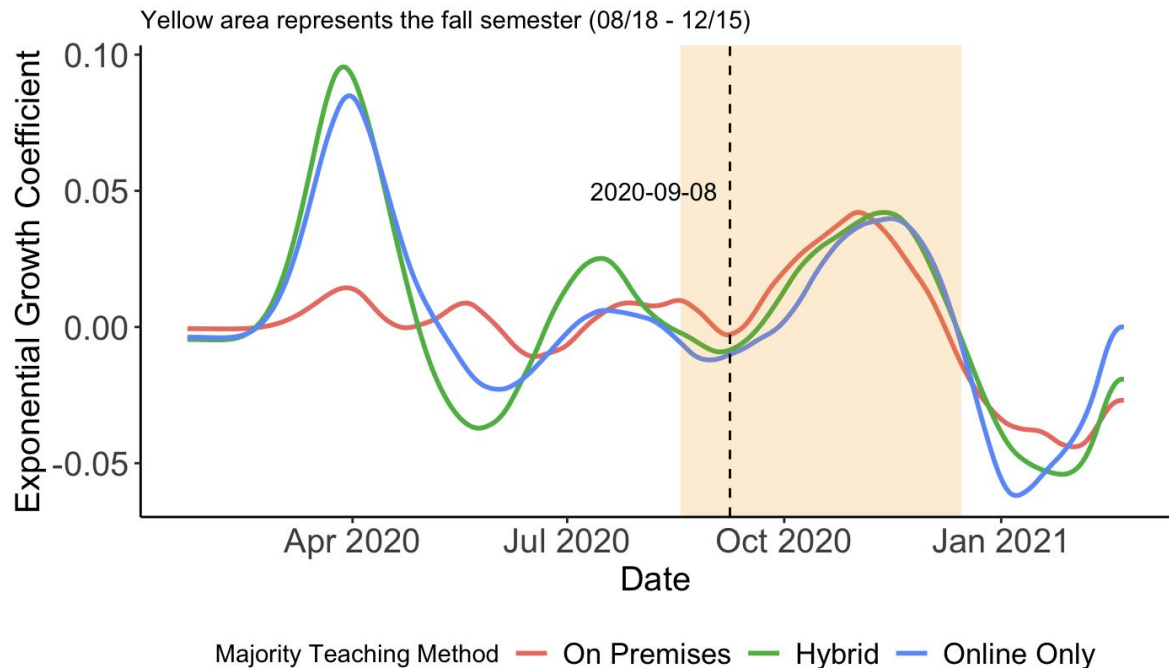
# Results - New Model

## How can we better measure transmissibility?



$$E(\log N_t) = N_0 + B \times t$$

# Results - New Model



Smoothing window set to every 4 weeks

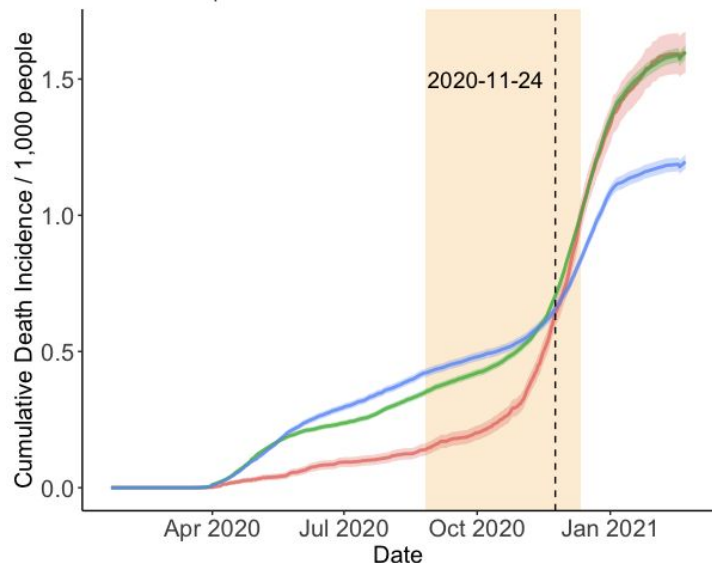
**Exponential growth coefficients  $B$  change with time**

$$E(\log N_t) = N_0 + B \times t$$

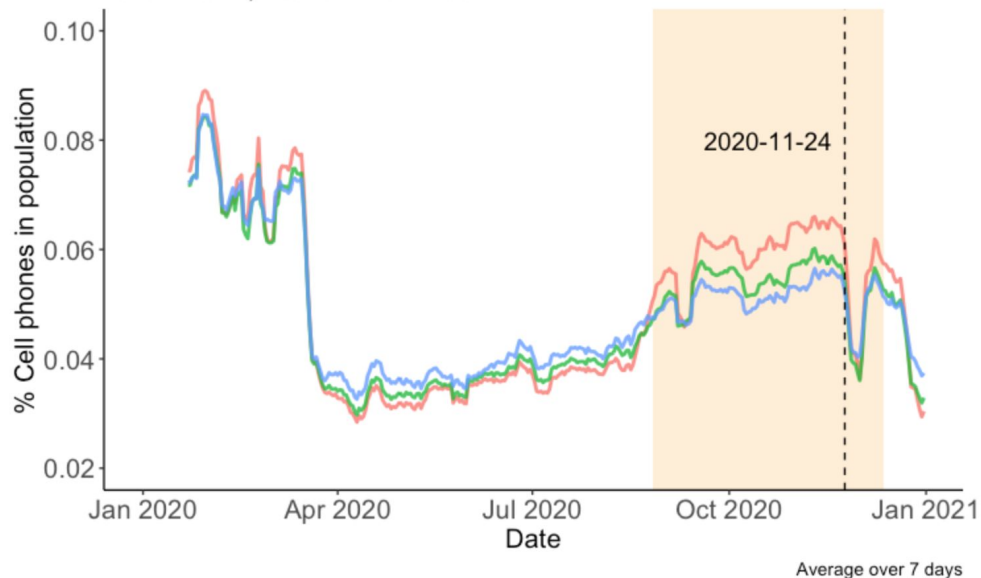
# Results - Other Factors

Similar ordering in death numbers and cell phone mobility  
for **on-premises** & **online-only** counties

Death Incidences Increase Faster for Red Counties  
Yellow area represents Fall Semester



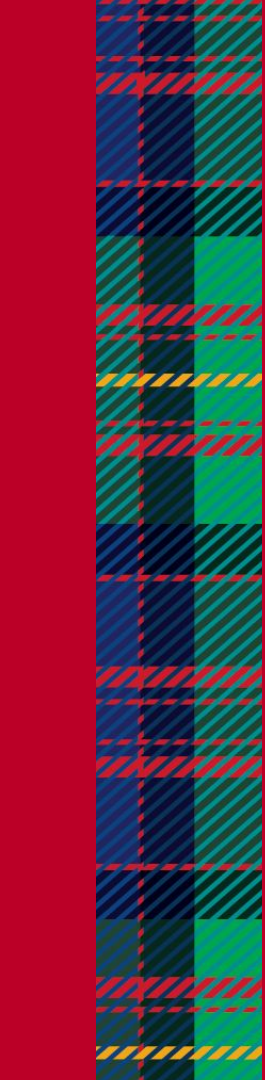
Percent Cell Phones Away Home for 6hr+  
Yellow area represents Fall Semester



Majority Teaching Method — On Premises — Hybrid — Online Only

## Discussion - Recap & Next Steps

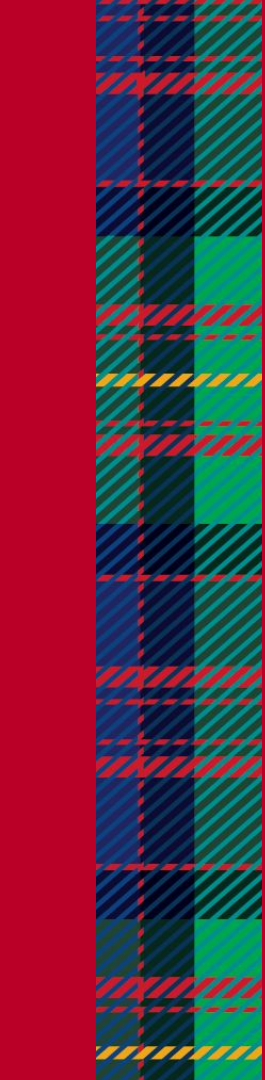
- Does teaching method have effect on the COVID-19 transmission in Ohio?
  - Death proportions averaged within **On-Premises**, **Hybrid** and **Online Only** counties remain significantly different after adjusting for confounder Y0
  - We have not yet come to the conclusion, we have to adjust for other important factors like mobility
- What other factors are expected to affect the transmission?
  - Mobility, Population size, Urban/Rural Status, Testing volume
  - Incorporate serology data (time permitting)



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**Thank you!**

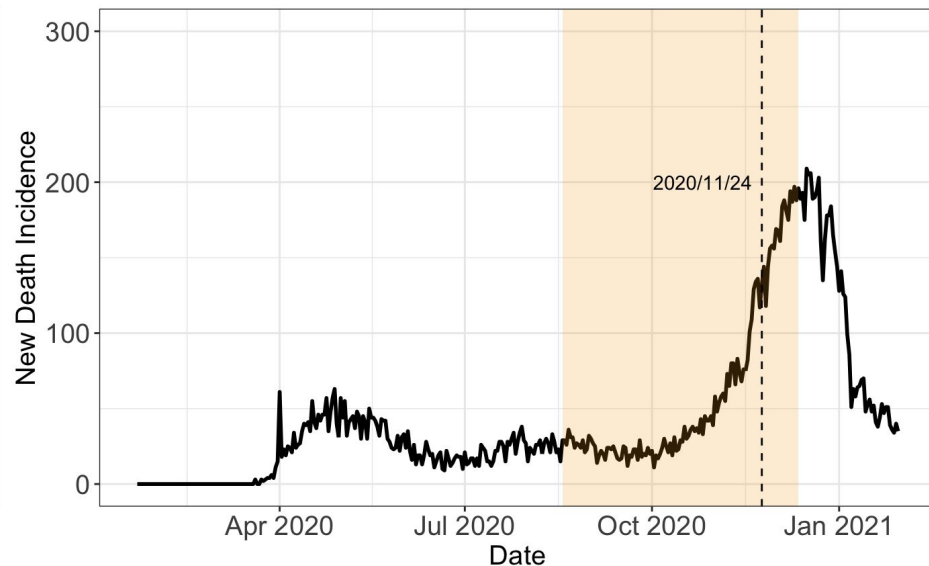
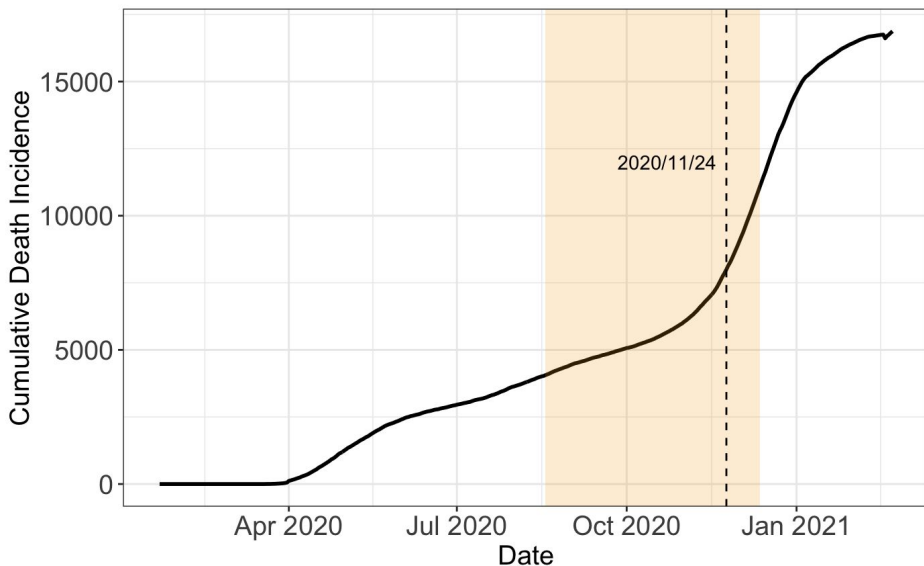
**Q&A**

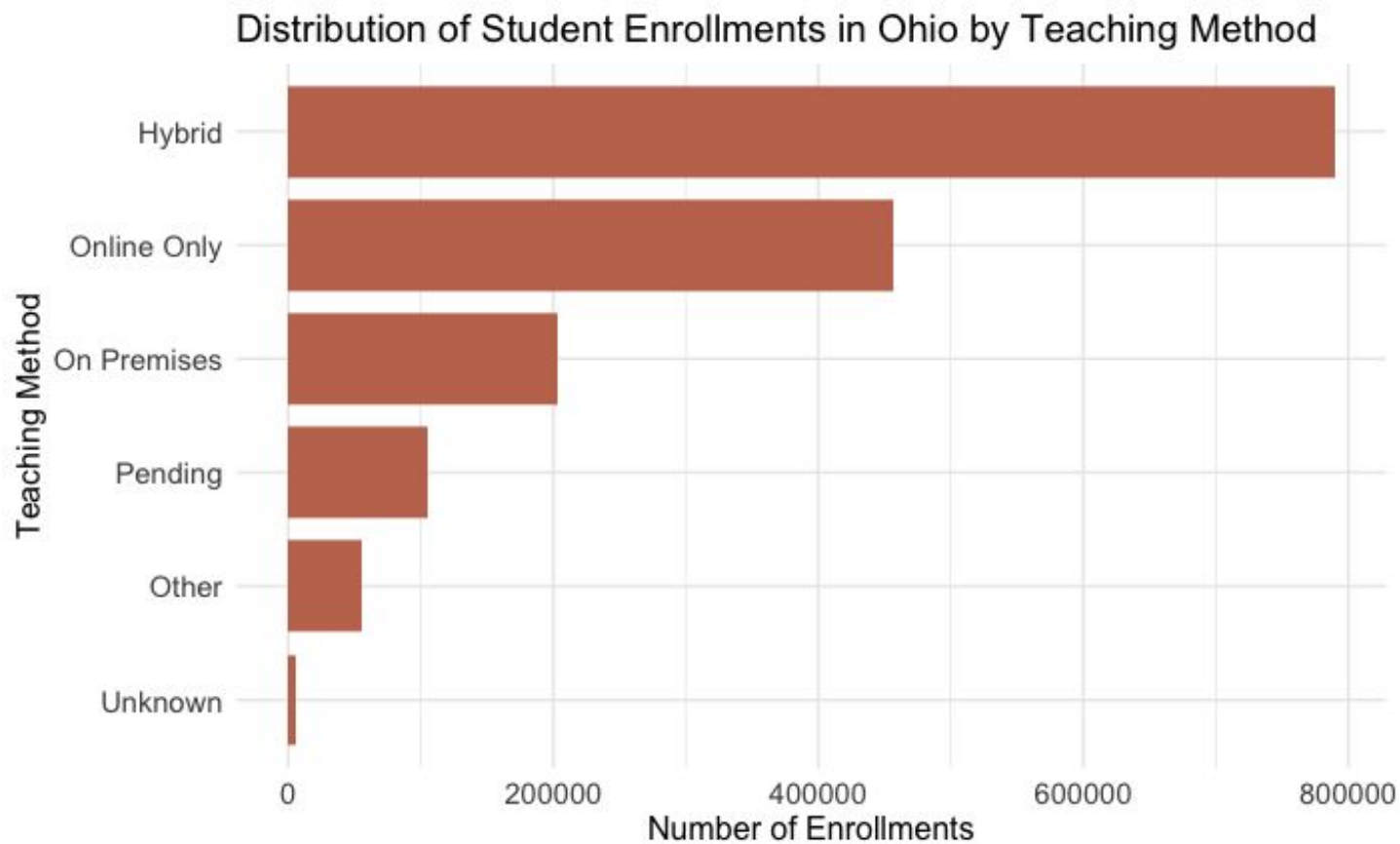


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# Appendix

# COVID Death Trend in Ohio State

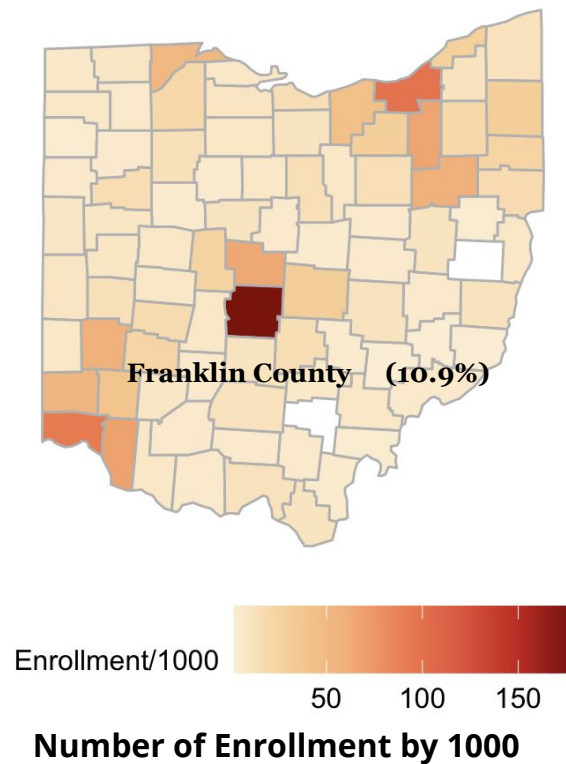
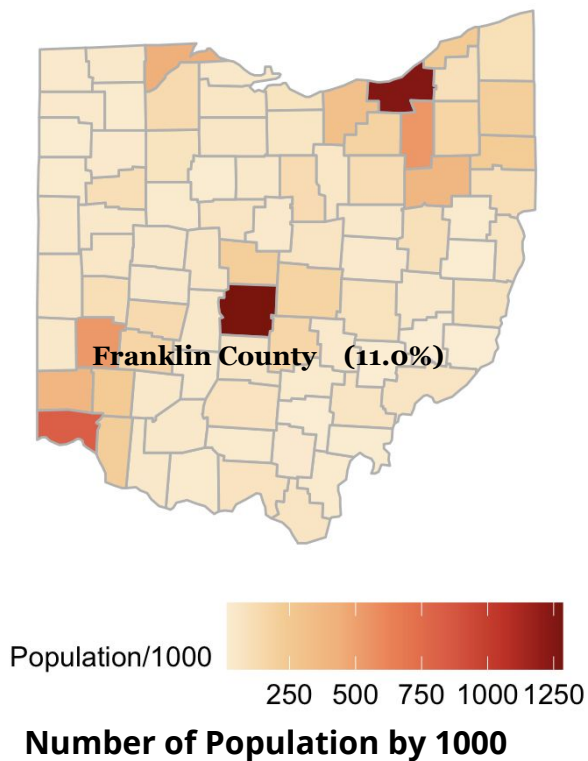


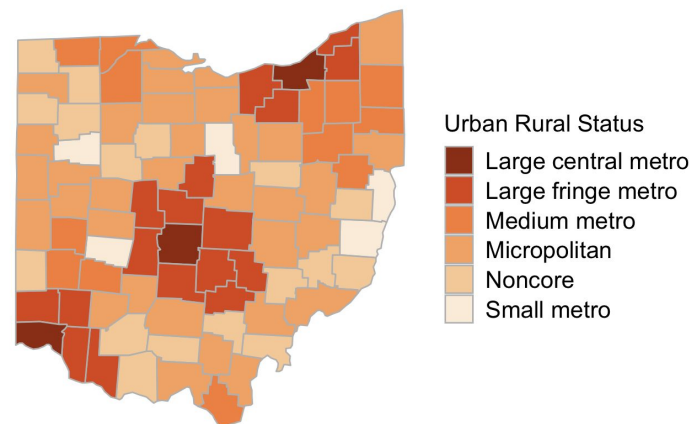
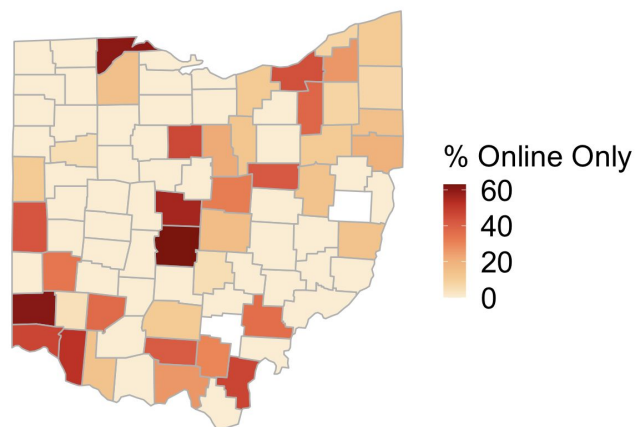
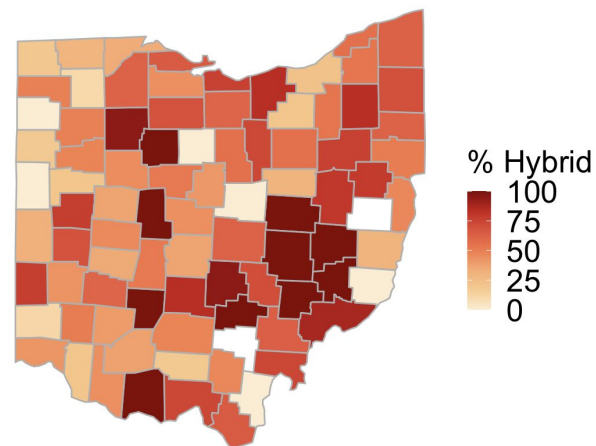
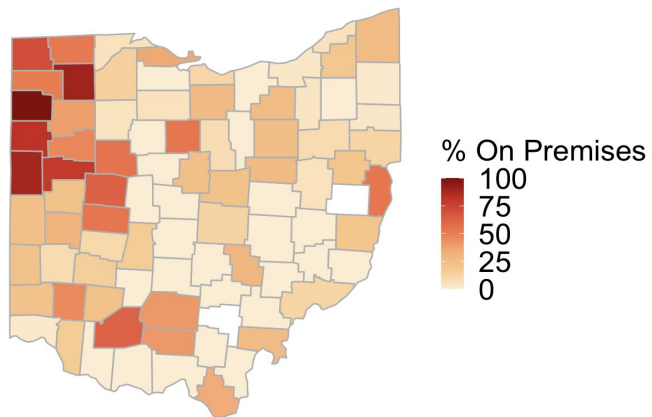


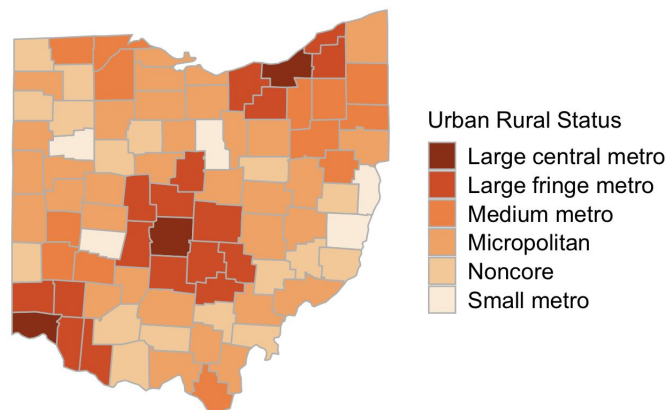
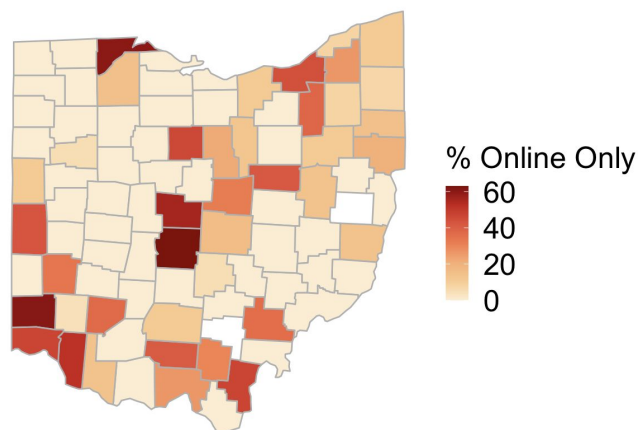
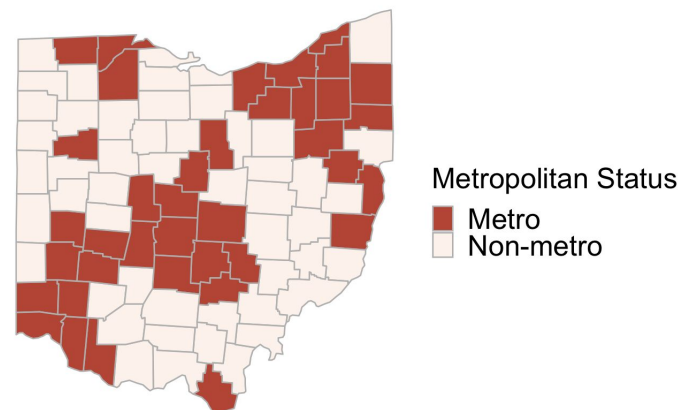
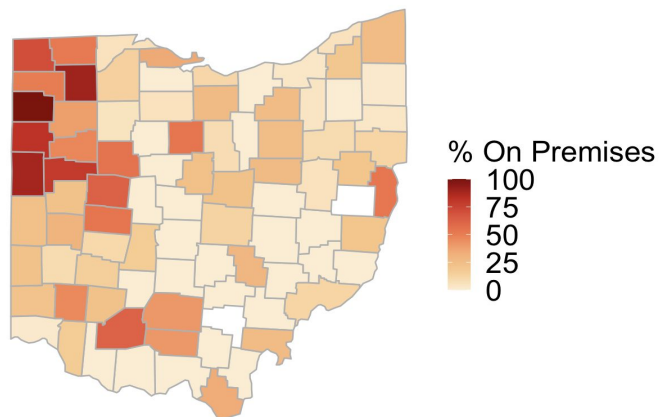
# Summary Statistics

## ❑ Ohio State

- ❑ 88 Counties (86 counties enclosed in data)
- ❑ Population: 11,755,535
- ❑ Student enrollment: 1,615,134 (13.7%)
- ❑ Number of schools: 2,871







# Method (more details on the model)

- **Are the county death trends significantly different by school teaching methods?**
  - Exploratory Data Analysis
  - Pair Test with control for confounder

- **How can we measure the transmission better? [Ongoing]**

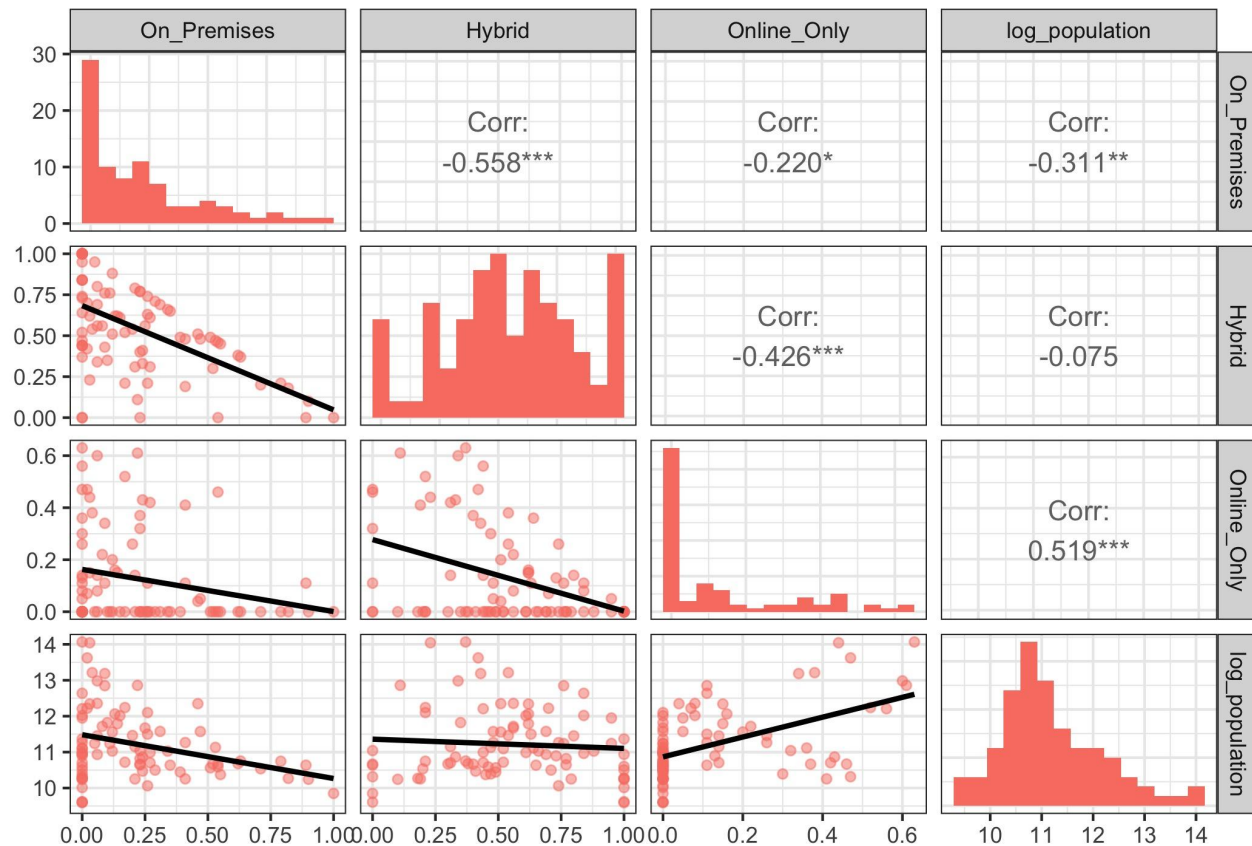
Assume the disease follows an exponential growth and the process is stationary, then

$$E(\log N_t) = N_0 + B \cdot t$$

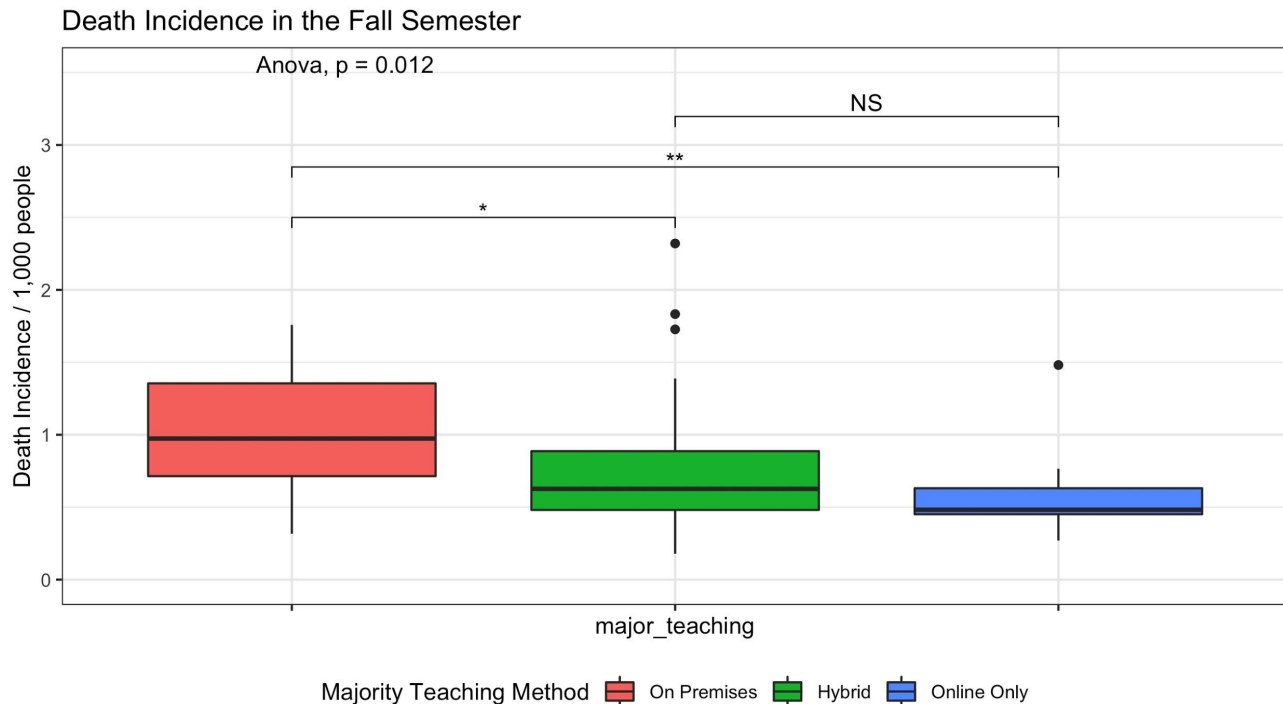
$N_t$  = number of new infections on day  $t$ ,  $N_0$  = log number of infections on day 0,  $B$  = exponential growth coefficient.

- Step 1: Transform New Deaths:  $\log(\text{New Deaths} + 1)$
- Step 2: Smoothing Splines on  $\log(\text{New Deaths} + 1)$  against time  $t$
- Step 3: Compute the first derivative of  $\log(\text{New Deaths} + 1)$  to get death rate  $B$
- **What factors might contribute to the change in exponential growth coefficient  $B$ ?**

## Correlation Plots for Proportions of Teaching Methods

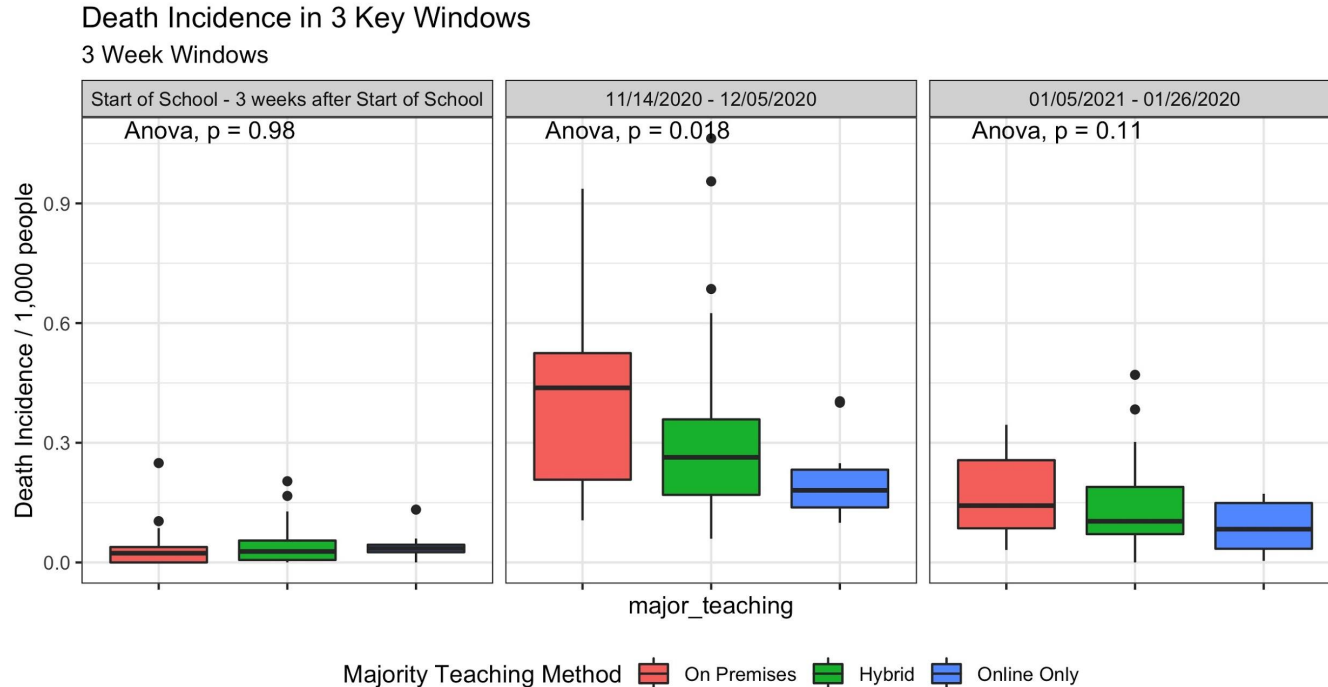


# Death numbers are different in In-person Counties



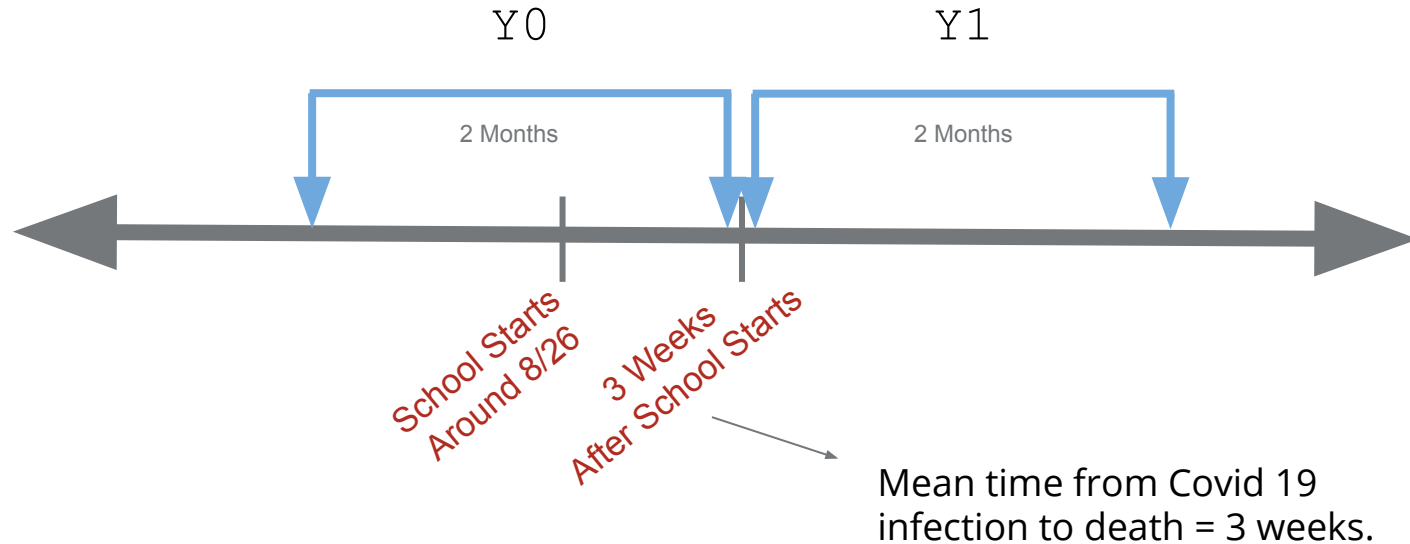
Pairwise p-values come from Duncan pairwise comparison test

# Death numbers increase faster for in-person counties



The first window looks at the 3 weeks after the start of school, the second is the window around the point of intersection, and the last window is 3 weeks after the end of the fall semester.

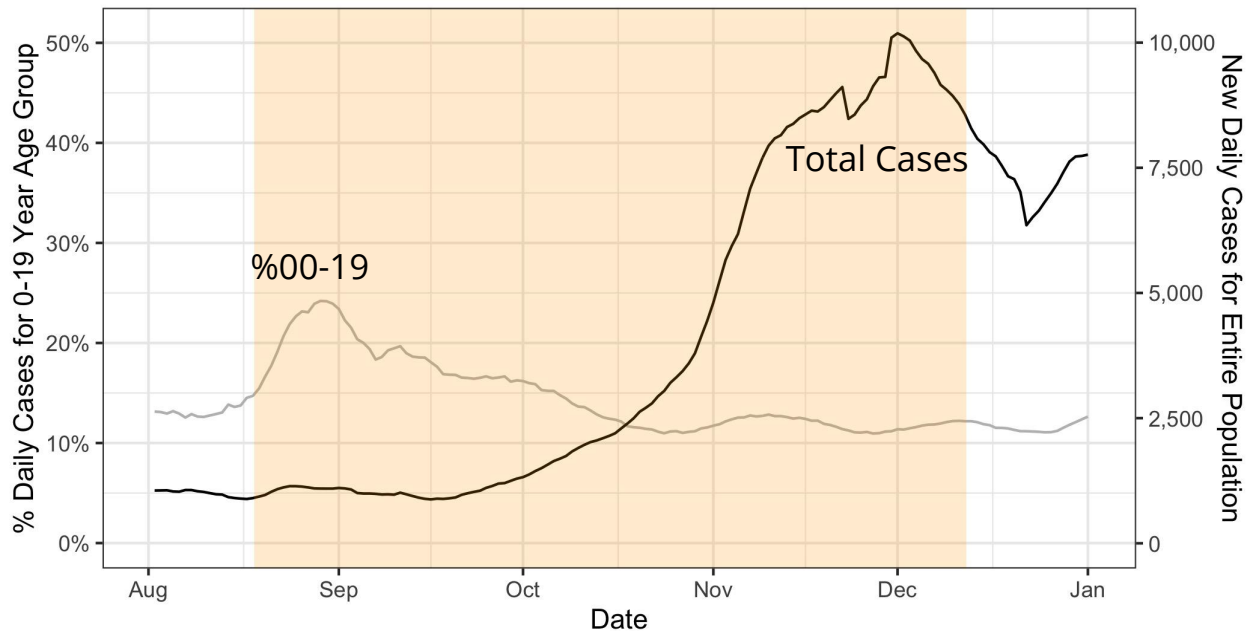
# Time Designation for Death Calculation



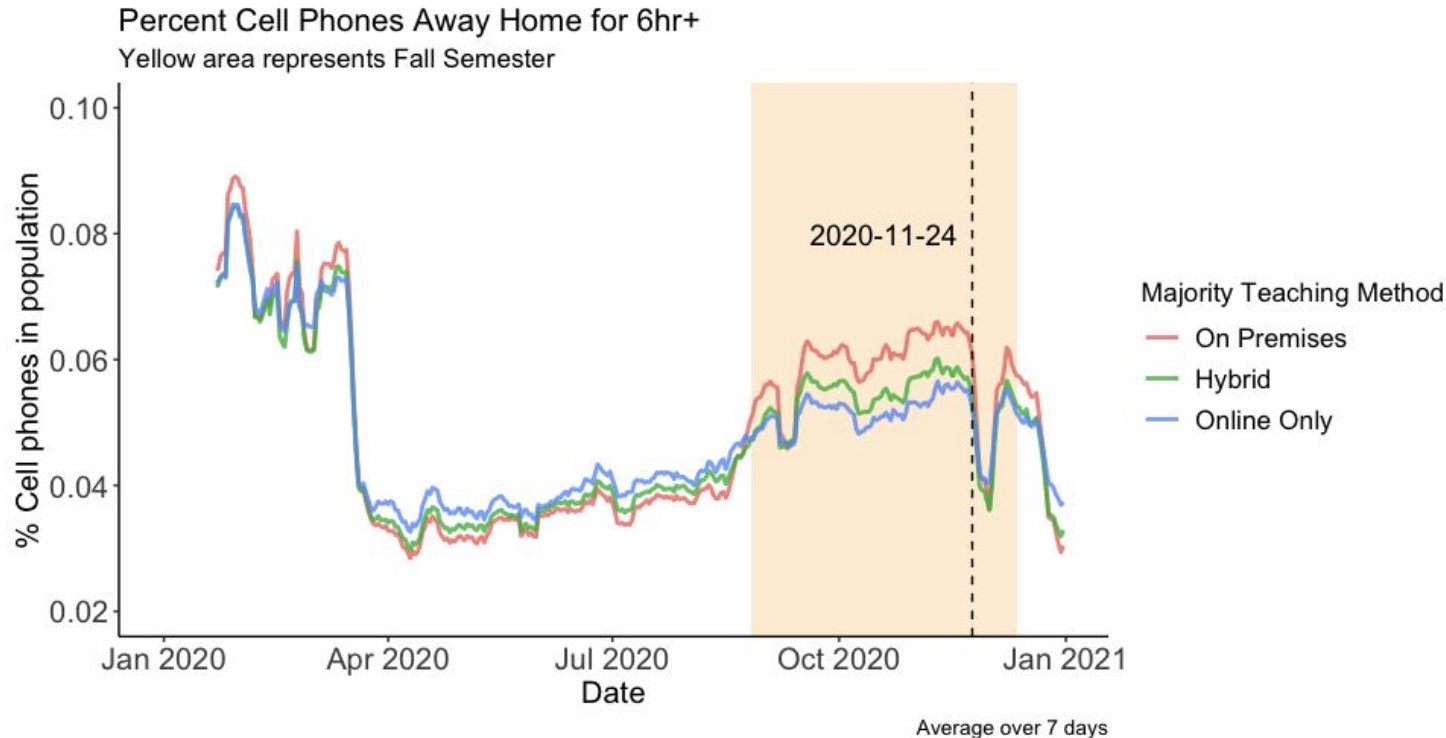
# Student enrollments back to school

The peak in proportion of cases from 0-19 year olds is followed by a peak in total cases after the start of the fall semester

Yellow Area represents the fall semester

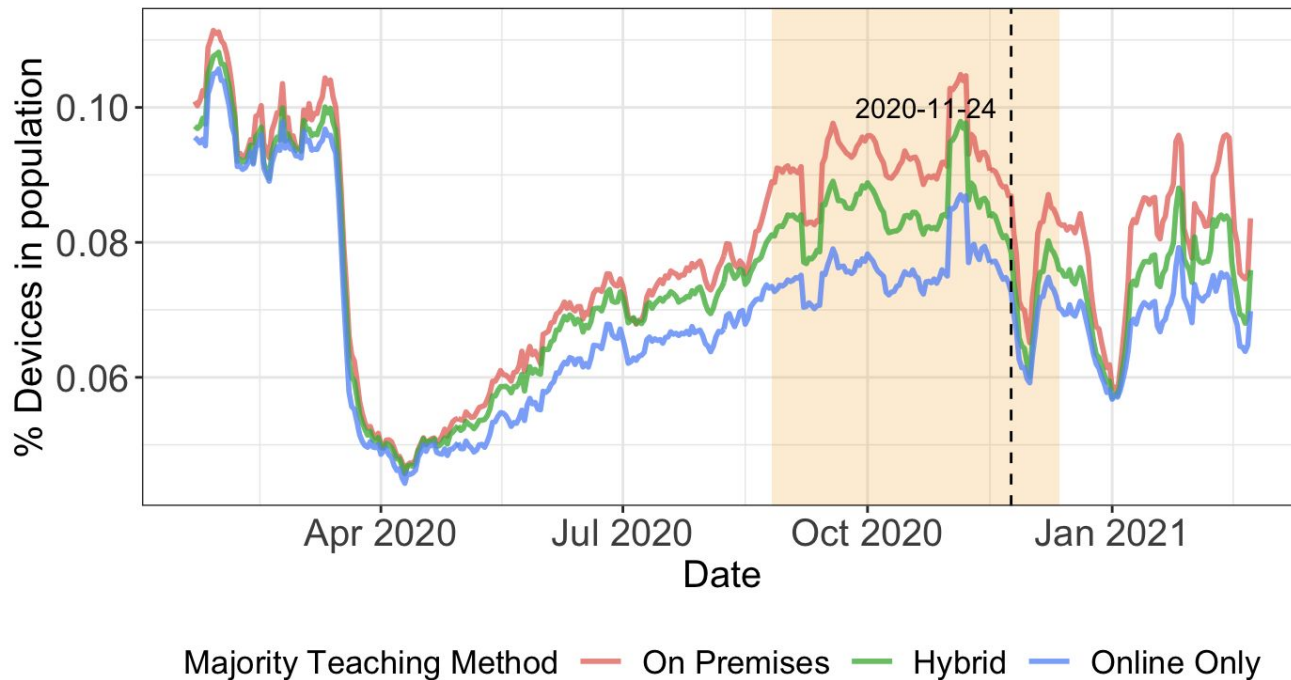


# On premises counties have higher percent of cell phones away from home for 6 hours + in Fall



# Part-time work -- different peaks?

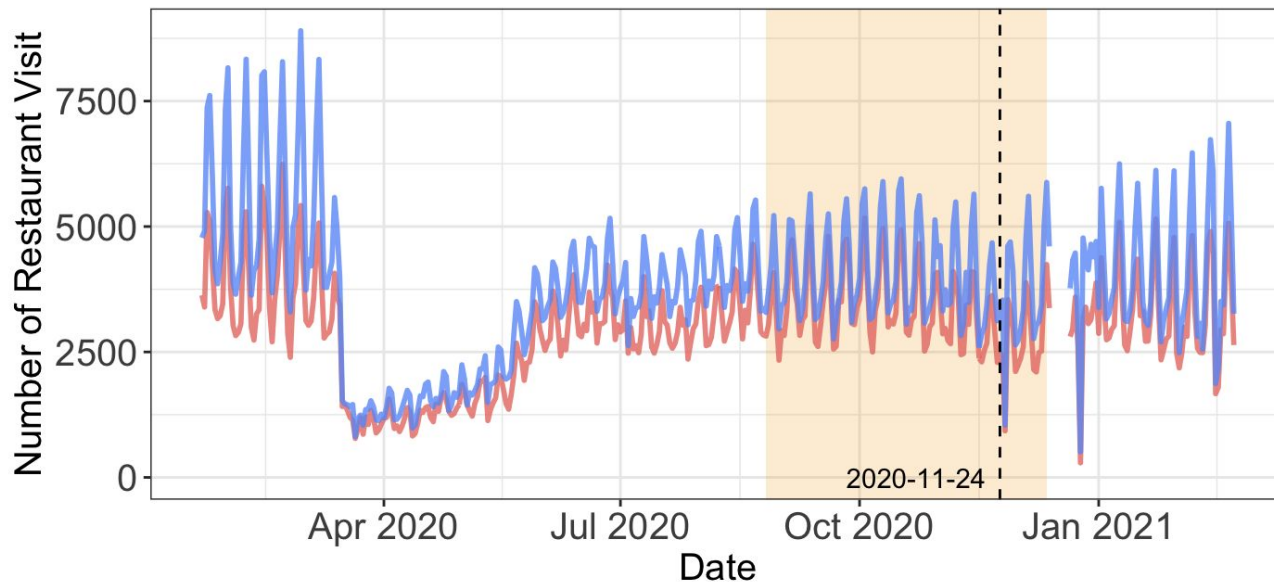
Percentage of Devices Away Home for 3-6hr  
Average over 7 days



# Counties majority going online have more restaurant visits

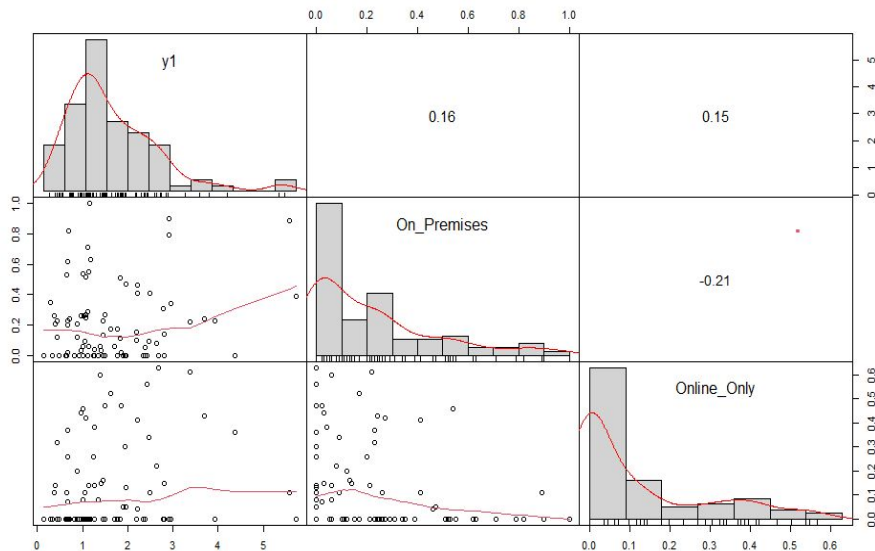
Number of Restaurant Visit Normalized by Population

Average over 7 days, no data for Hybrid counties

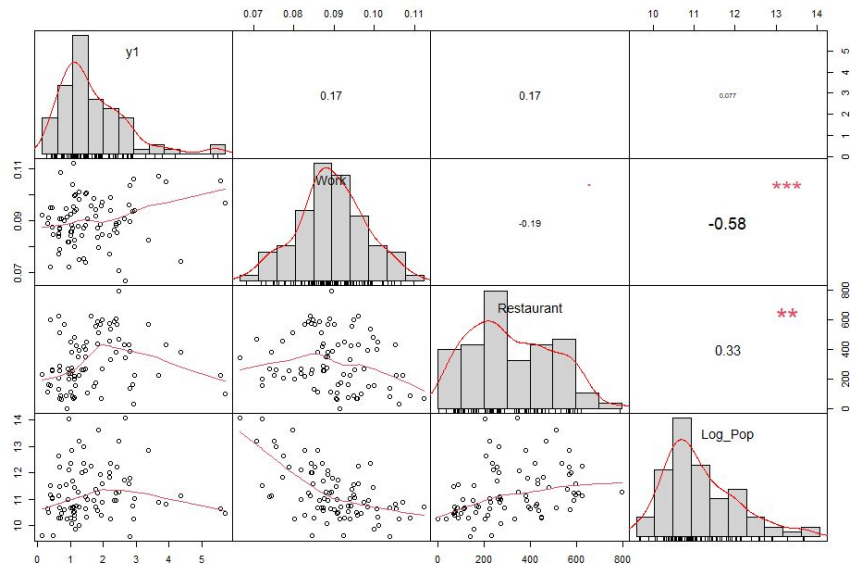


Majority Teaching Method — On Premises — Hybrid — Online Only

# Pair Plots

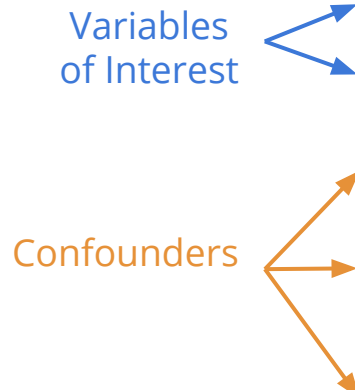


**Confounder vs Teaching Method**



**Y1 vs Confounders**

# Univariate Linear Regression



| Relation                       | Significance |
|--------------------------------|--------------|
| Y1 ~ On Premises               | .004         |
| Y1 ~ Online Only               | .037         |
| Y1 ~ Log Population            | .004         |
| Y1 ~ % Away home for 6hrs+     | .001         |
| Y1 ~ Average restaurant visits | .069         |

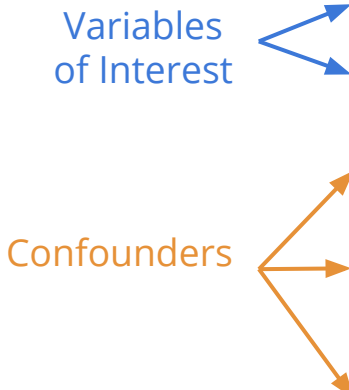
## Insignificant Variables:

- Proportion of students do Hybrid
- Death incidence two months before school reopening
- Average Bar Visits

# Schooling method is no longer significant after we adjust for possible confounders.

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Y1 ~ On Premises + Online Only + Log Population + Avg. time at Work + Avg. restaurant visits



| Relation                  | Significance |
|---------------------------|--------------|
| On Premises               | .262         |
| Online Only               | .425         |
| Log Population            | .447         |
| % Away home for 6hrs+     | .281         |
| Average restaurant visits | .439         |

# We adjust for confounders by including them as explanatory variables in statistical analyses

